### Why could strangeon matter be "superluminal"? —sound speed in compact star

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#### maximum mass of pulsar

- The maximum mass of a neutron star can hardly surpass  $2M_{\odot}$  due to the "hyperon puzzle". (Schaffner-Bielich 2008)
- PSR J0715+1807, 1.97*M*<sub>☉</sub> (Demorest et al. 2010)
- PSR J0348+0432,  $2.01M_{\odot}$  (Antoniadis et al. 2013)
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  Strangeon matter!



### What is a strangeon?

- speculated in generalized Witten's conjecture
- ► 3 flavor symmetry (u, d, s)
- Strangeons in bulk constitutes the true ground state of the strong-interaction at supra nuclear density.



Strange quark matter



# What is the property of strangeon matter?

- A strangeon is much more massive than a nucleon. Thus the strangeon can be regarded as a traditional localized point particle rather than quantum wave.
- Strangeon matter should be much stiffer than neutron matter, which signifies a larger bulk modulus.

 $\sqrt{\frac{\partial P}{\partial \rho}} > c \text{ (superluminal sound speed??)}$ 

#### sound speed & causality

- There is no priori reason to believe the variational principle is physical, thus any result based on the Lagrangian may be invalid.
- Lorentz invariance per se does not prohibit macroscopic theories with superluminal sound, and superluminal propagation is not necessarily noncausal (Bruneton, 2007).

Sound speed  $c_s = \sqrt{\frac{\partial P}{\partial \rho}}$  Caporaso & Brecher (1979) pointed out that it is possible to construct lattice models with  $P > \rho c^2$  and  $dP > c^2 d\rho$ , but sound speed remains subluminal.

#### Signal in strangeon matter

- The particle (strangeon) is so massive that it has small wave-packet, thus, the strangeon can be regarded as a traditional localized point particle rather than quantum wave.
- two-body short-range repulsive conservative interaction between particles
- For simplification, the oscillation propagation in a 1-D discrete chain is considered.



#### frequency domain result of strangeon matter

Assume a sine wave propagate in the chain, and the wave form is stable.

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- Sound speed c<sub>s</sub> =

$$\sqrt{\frac{1}{2} \left[ \frac{1}{\frac{\partial P}{\partial \rho}} + \sqrt{\frac{1}{\left(\frac{\partial P}{\partial \rho}\right)^2} + \frac{1}{l^2 \omega^2 c^2}} \right]}$$

1

It could be superluminal!!

#### frequency domain result of strangeon matter

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1

Sound speed c<sub>s</sub>

► It could be superluminal!!

because of the reflected wave

## time domain result of strangeon matter

time domain response of an impulse input





$$D(s) = \exp\left(-\frac{ls}{c}\right) \qquad G_0(s) = -\frac{1}{ms^2} \frac{\partial F}{\partial x}\Big|_{x=l}$$

With Meson's gain formula

$$G(s) = \frac{2^k G_1^k}{k+1} = \frac{1}{k+1} \left( \frac{\frac{\partial P}{\partial \rho}}{\frac{l^2 s^2}{2} + \frac{\partial P}{\partial \rho}} \right)^k \exp\left(-\frac{kls}{c}\right)$$

## time domain result of strangeon matter

time domain response of an impulse input

$$x_k(t) = \mathscr{L}^{-1}[\mathscr{L}[x_0(t)]G(s)] = \frac{2^{k-\frac{1}{2}}\sqrt{\pi}A}{(k+1)\Gamma(k)}\sqrt{\frac{2}{l^2}}\frac{\partial P}{\partial\rho}\theta^{k-\frac{1}{2}}J_{k-\frac{1}{2}}(\theta)$$



#### sound speed in strangeon matter

signal propagation time

$$t_{\text{signal}} = \left[ \frac{n - \frac{3}{2} + 1.855757 \left(n - \frac{3}{2}\right)^{\frac{1}{3}} + O[1]}{\sqrt{\frac{\partial P}{\partial \rho}}} + \frac{n}{c} \right] l$$

sound speed

$$c_{\text{signal}} = \frac{nl}{t_{\text{signal}}} \approx \frac{1}{\frac{1}{\sqrt{\frac{\partial P}{\partial \rho}}} + \frac{1}{c}} < c$$

The signal speed would never be superluminal!!

#### sound speed in strangeon matter



#### sound speed and the maximum mass of pulsar

•  $\frac{\partial P}{\partial \rho} < c^2 \Rightarrow M_{\text{max}} \approx 3.2 M_{\odot}$  (Rhoades & Ruffini, 1972), is often given the status of a rigorous upper limit in astrophysical literature.



### SUMMARY

#### The sound speed in strangeon matter is still subluminal.

The large mass compact star

could be the evidence for strangeon star.