

# NEUTRON STAR MASS LIMITS

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## Recent Insights

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# ABOUT ME

- Currently: PostDoc at IFUSP, Brazil.
  - CTAO Consortium: High energy emissions of Spider Systems.
  -
- August 2023: PhD at IAG-USP, Brazil
  - Mass distribution and formation scenarios of neutron stars
  - Part of GARDEL group



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Riis Rhavia



# MAXIMUM MASS OF NS

- Under general relativity, the hydrostatic equilibrium is given by the TOV equation:

$$\frac{dP(r)}{dr} = -\frac{Gm(r)\rho(r)}{r^2} \left(1 + \frac{P(r)}{c^2\rho(r)}\right) \left(1 + \frac{4\pi r^3 P(r)}{c^2 m(r)}\right) \left(1 - \frac{2Gm(r)}{c^2 r}\right)^{-1}$$

$$m(r) = 4\pi \int_0^r r'^2 \rho(r') dr'$$

- Foresees the existence of an upper limit of mass for stable configuration
- Highly dependent on the Equation of State (EoS)

# THE OLD PICTURE

- NS's formed from core-collapse supernova of Fe cores

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Core subject to electron degeneracy pressure

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Core w/ almost invariant mass

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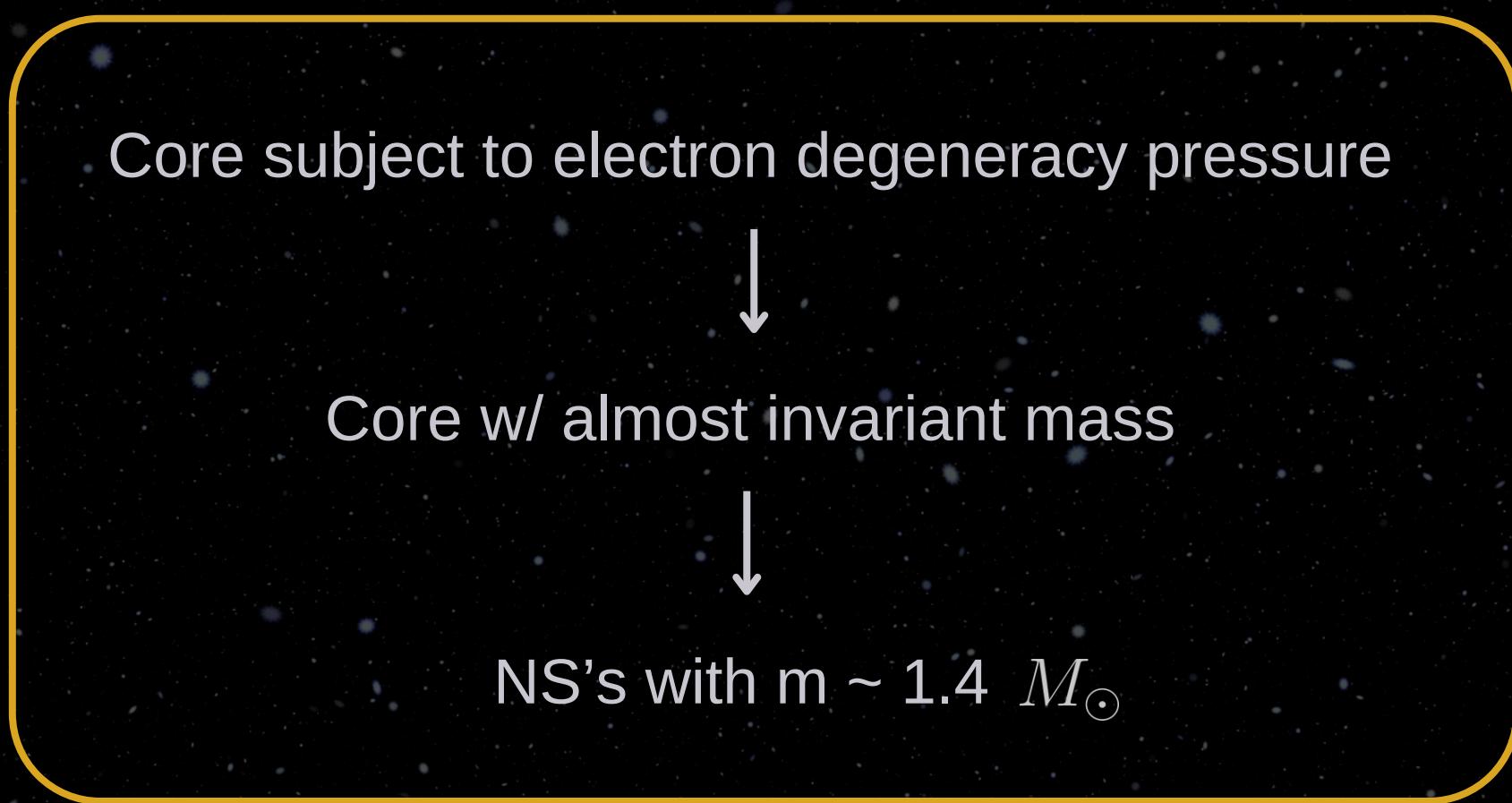
Core w/ almost invariant mass



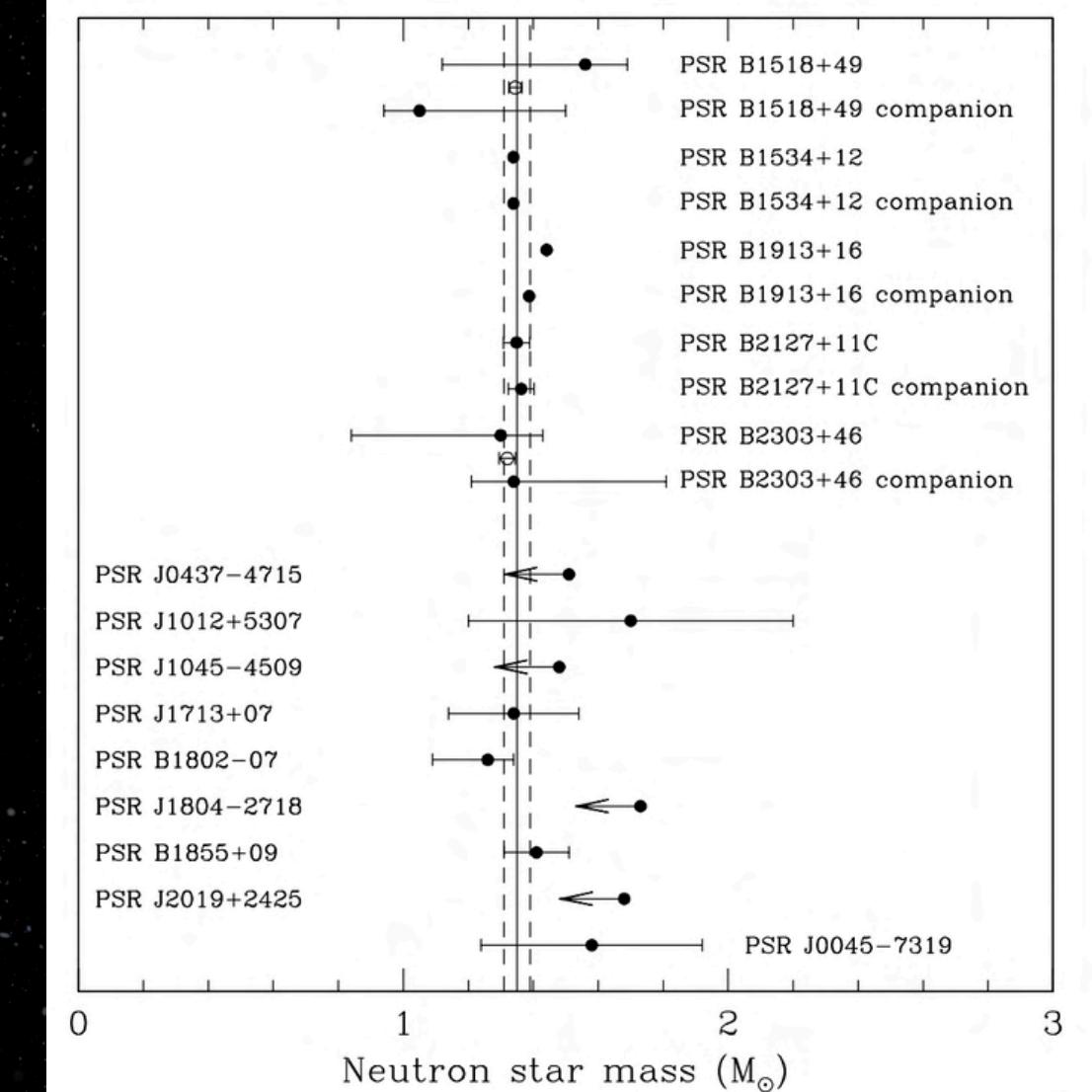
NS's with  $m \sim 1.4 M_{\odot}$

# THE OLD PICTURE

- NS's formed from core-collapse supernova of Fe cores



THORSETT AND CHAKRABARTY (1999)



Observations match with theory!

$$m = 1.35 \pm 0.04 M_{\odot}$$

# THE OLD PICTURE

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Core subject to electron degeneracy pressure

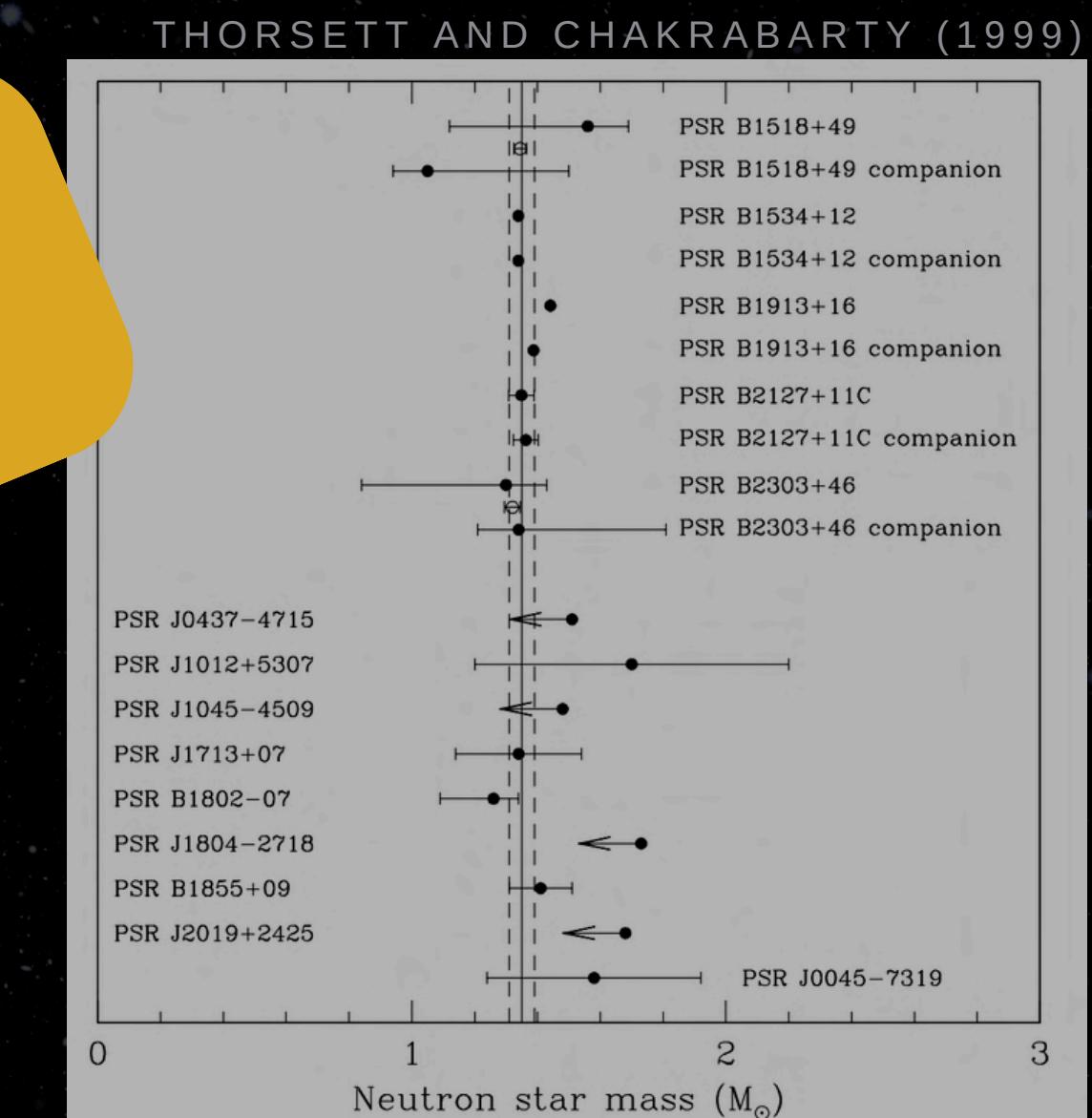


Core w/ almost invariant



NS's with  $m \sim 1.4$

Problem solved!  
...Really?

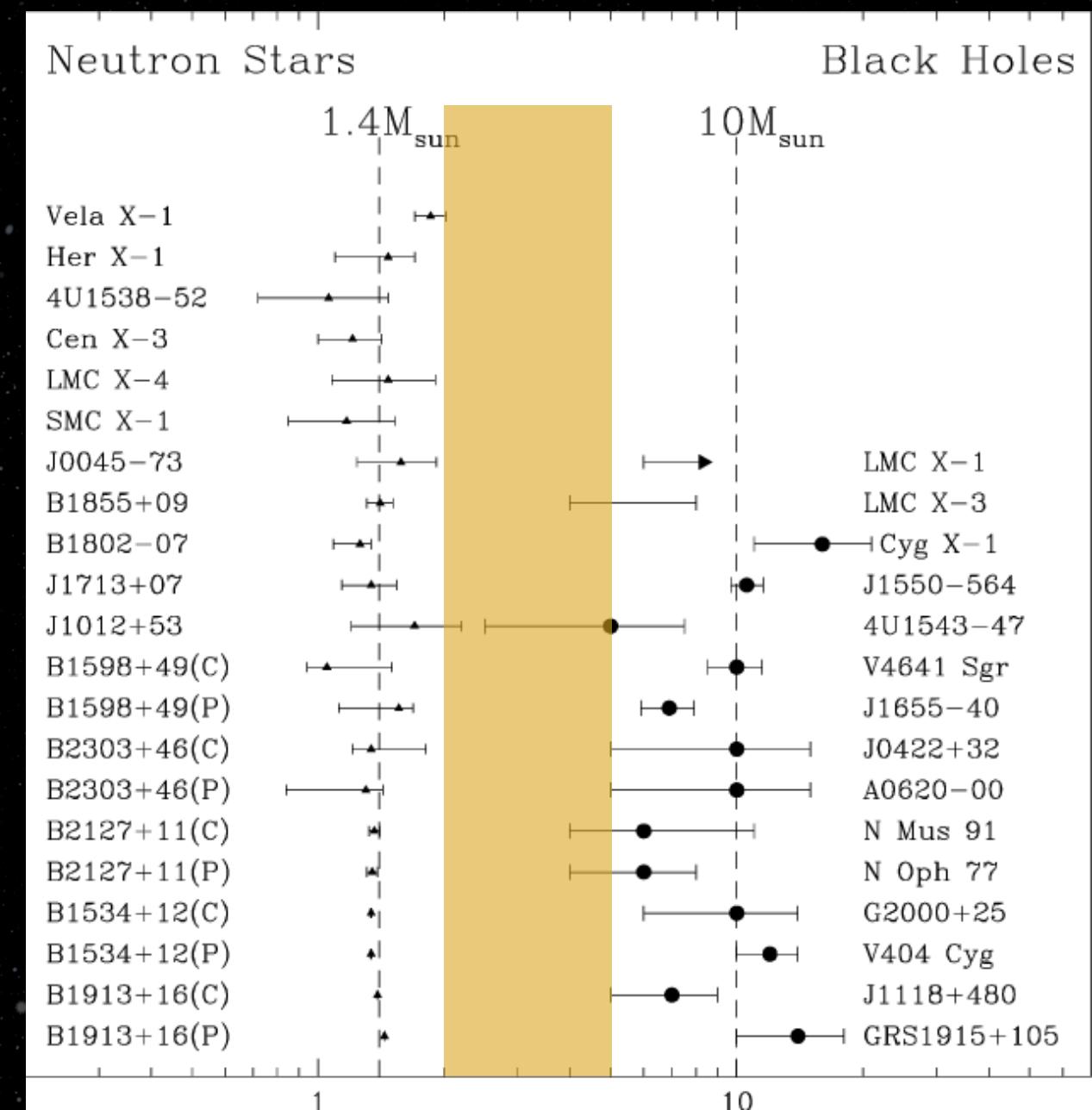


Observations match with theory!

$$m = 1.35 \pm 0.04 M_{\odot}$$

# THE LOWER MASS GAP

- NSs below  $2 M_{\odot}$  + BH candidates in LMXBs + supernova mechanisms:
  - Lack of compact objects between  $2 - 5 M_{\odot}$



A FEW YEARS LATER...

# LETTER

doi:10.1038/nature09466

## A two-solar-mass neutron star measured using Shapiro delay

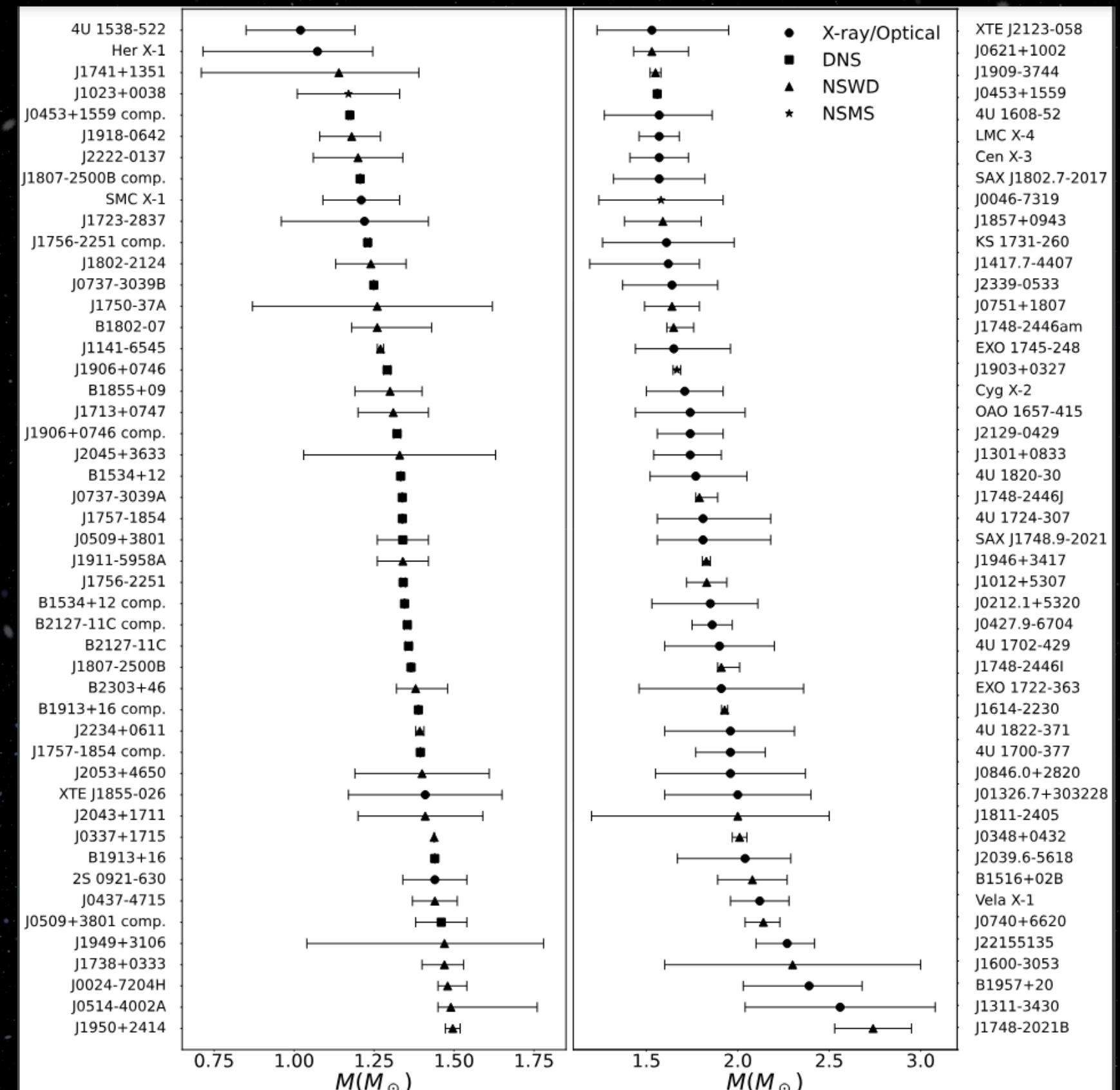
P. B. Demorest<sup>1</sup>, T. Pennucci<sup>2</sup>, S. M. Ransom<sup>1</sup>, M. S. E. Roberts<sup>3</sup> & J. W. T. Hessels<sup>4,5</sup>

- EoS must be stiffer than we thought

# CURRENT SCENARIO

In short...

- Bimodal gaussian distribution
  - Another formation mechanisms/accretion history ?
  - Electron capture supernovae
  - SNe leading to initial masses up to  $1.9 M_{\odot}$  (Burrows and Vartanyan, 2021)
- Maximum mass:  
Shao et al. (2020); Fan et al. (2024);  
 $M_{max} \sim 2.26 M_{\odot}$



# THE BNS MERGER

GW170817:

- New channel to probe NS physics
- Electromagnetic counterpart

Attempt to calculate TOV mass

- Margalit and Metzger (2017):

$$M_{max} \lesssim 2.17 M_{\odot} \text{ (90\%)}$$

- Ruiz et al. (2018)

$$M_{max} \lesssim 2.3 M_{\odot}$$

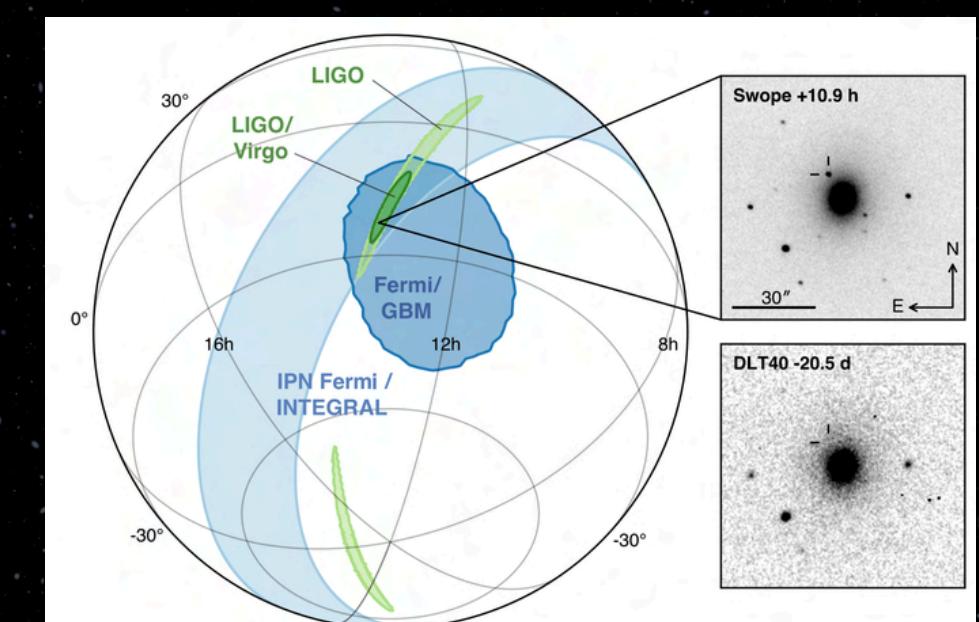
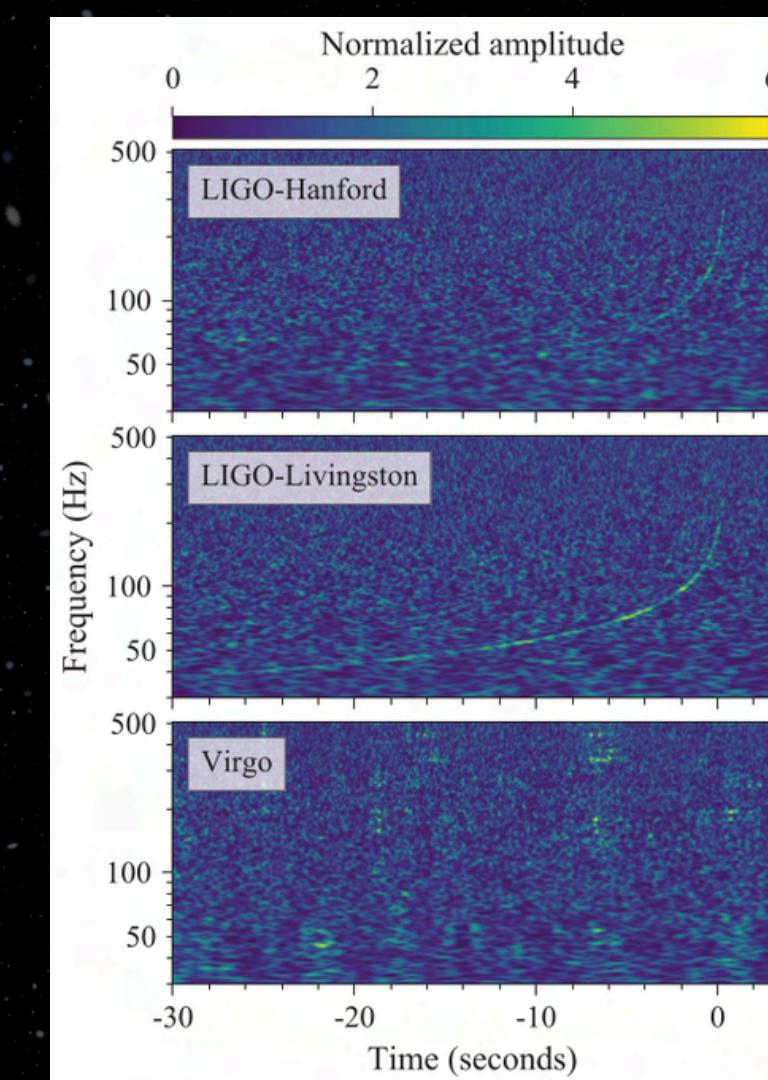
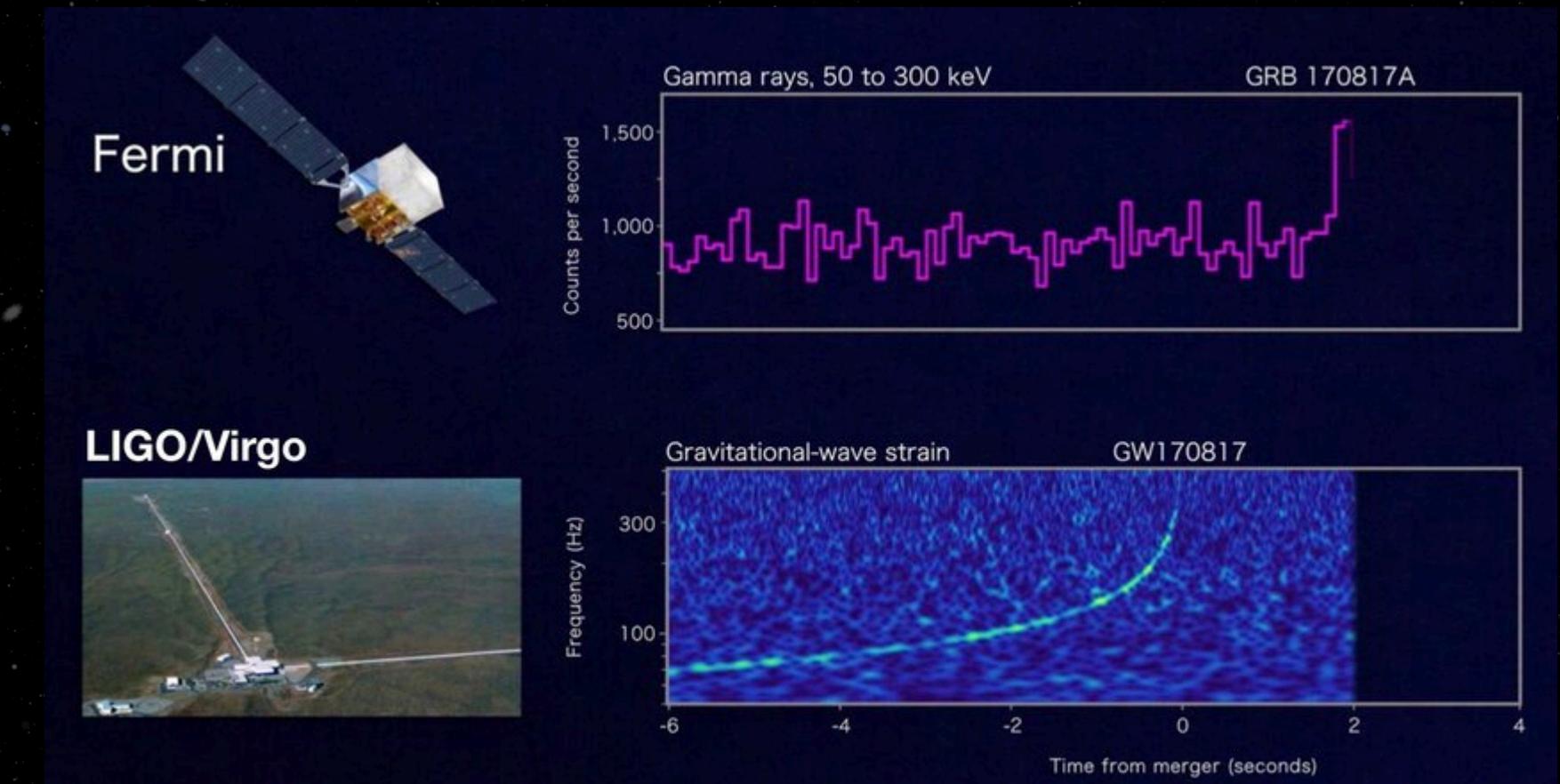
- Shibata et al. (2019):

$$M_{max} \sim 2.16 - 2.28 M_{\odot}$$

- Ai et al. (2020)

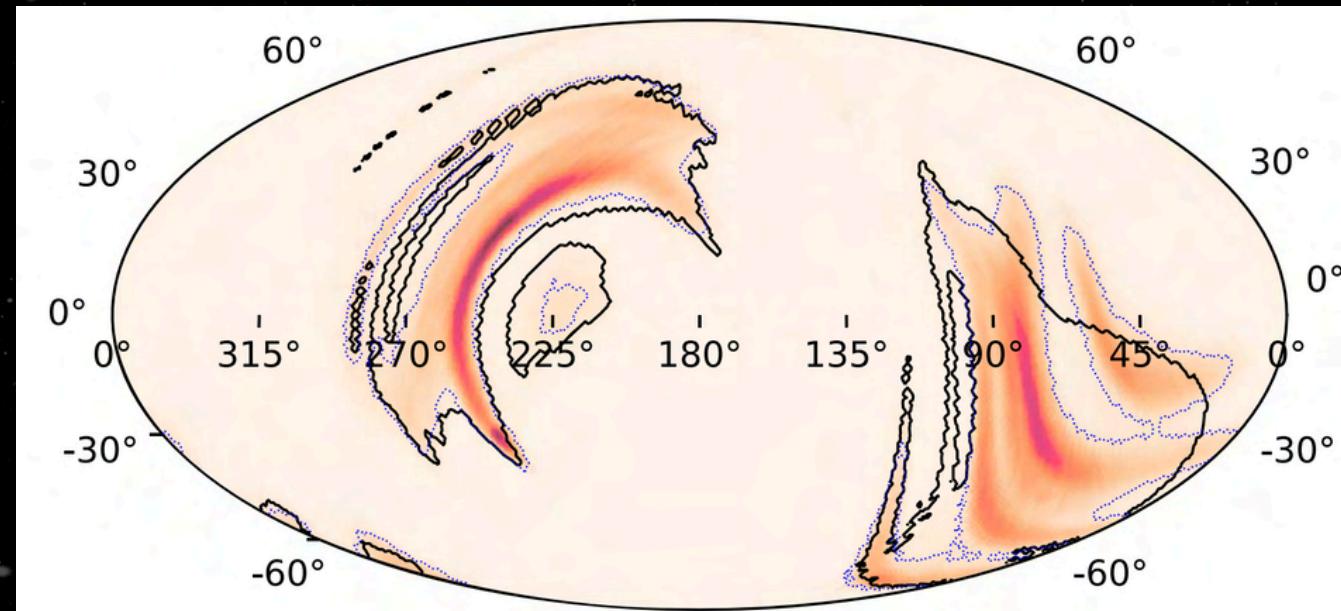
$$2.09 \lesssim M_{max} < 2.43 M_{\odot}$$

Match maximum mass from galactic pulsars!

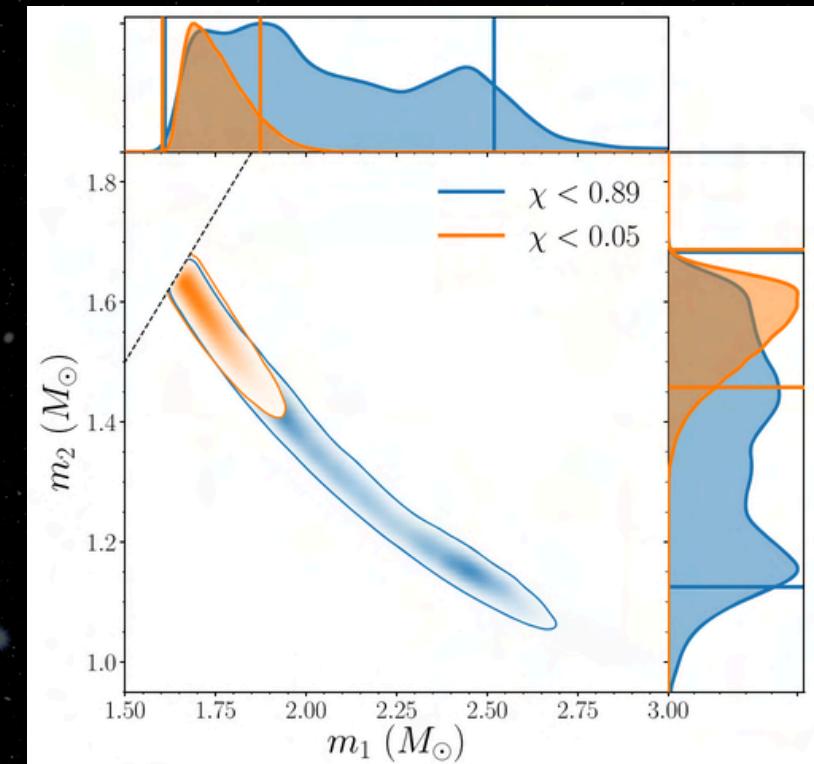


ABBOTT ET AL. (2018)

# GW190425



ABBOTT ET AL. (2020)

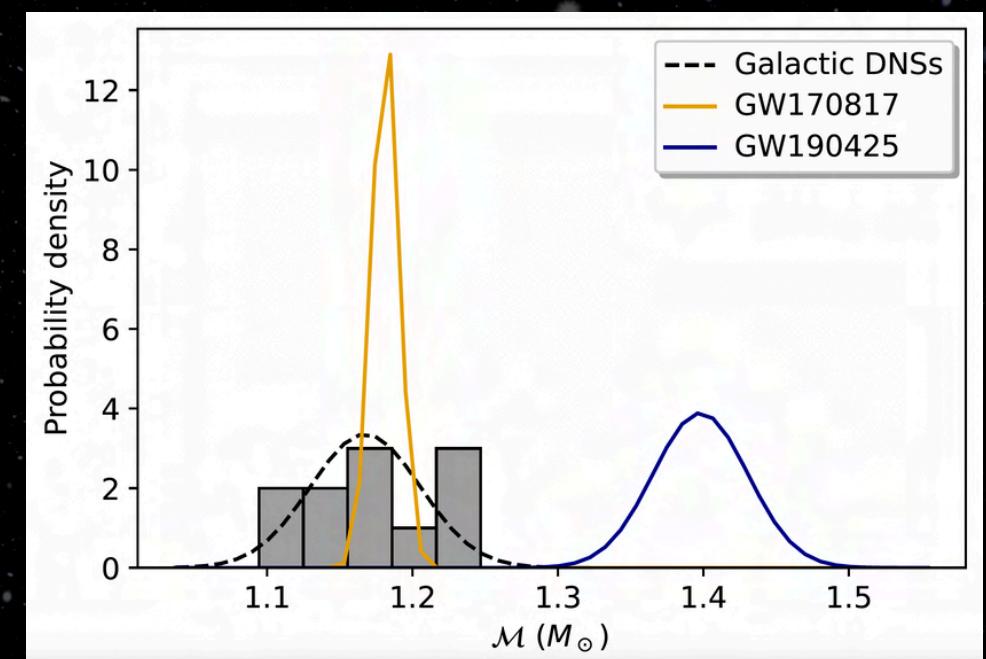
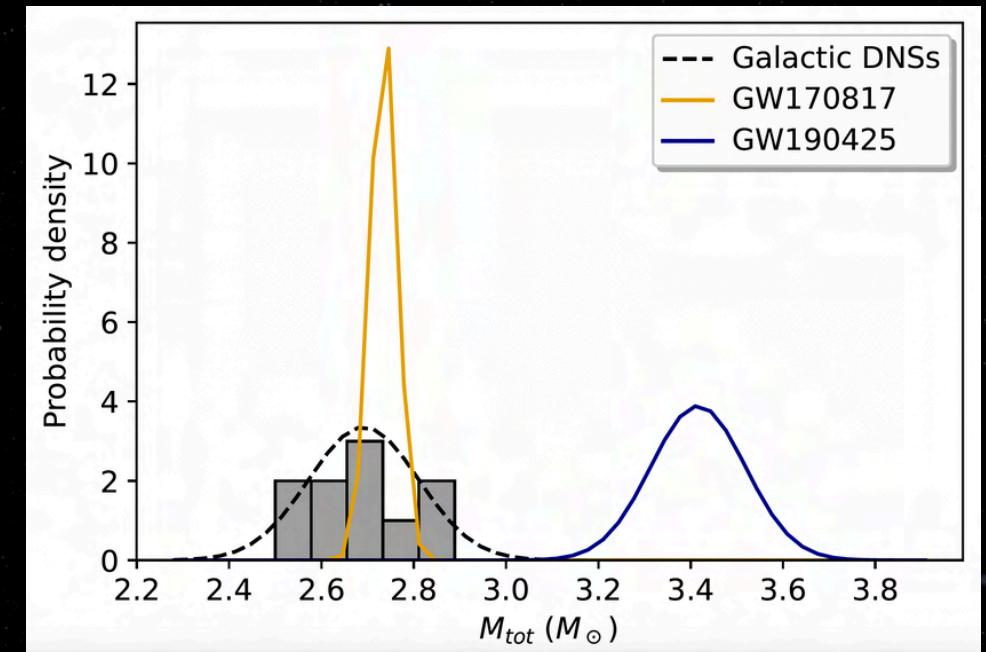


Low-spin prior:

$$\begin{cases} 1.60 \leq m_1(M_\odot) \leq 1.87 \\ 1.46 \leq m_2(M_\odot) \leq 1.69 \end{cases}$$

$$\begin{cases} M_{TOT} = 3.3 \pm 0.1 M_\odot \\ \mathcal{M} = 1.44 \pm 0.02 M_\odot \end{cases}$$

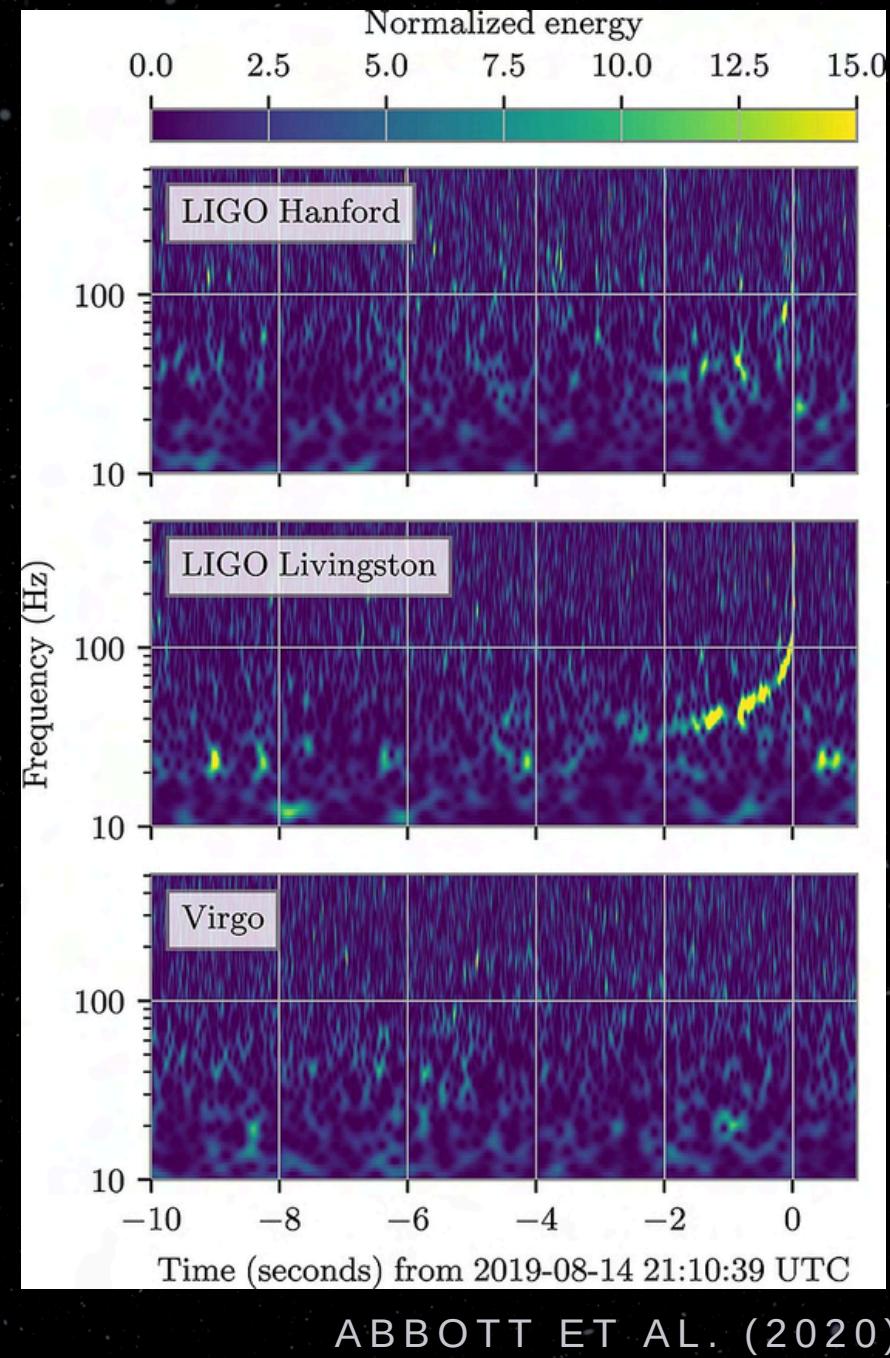
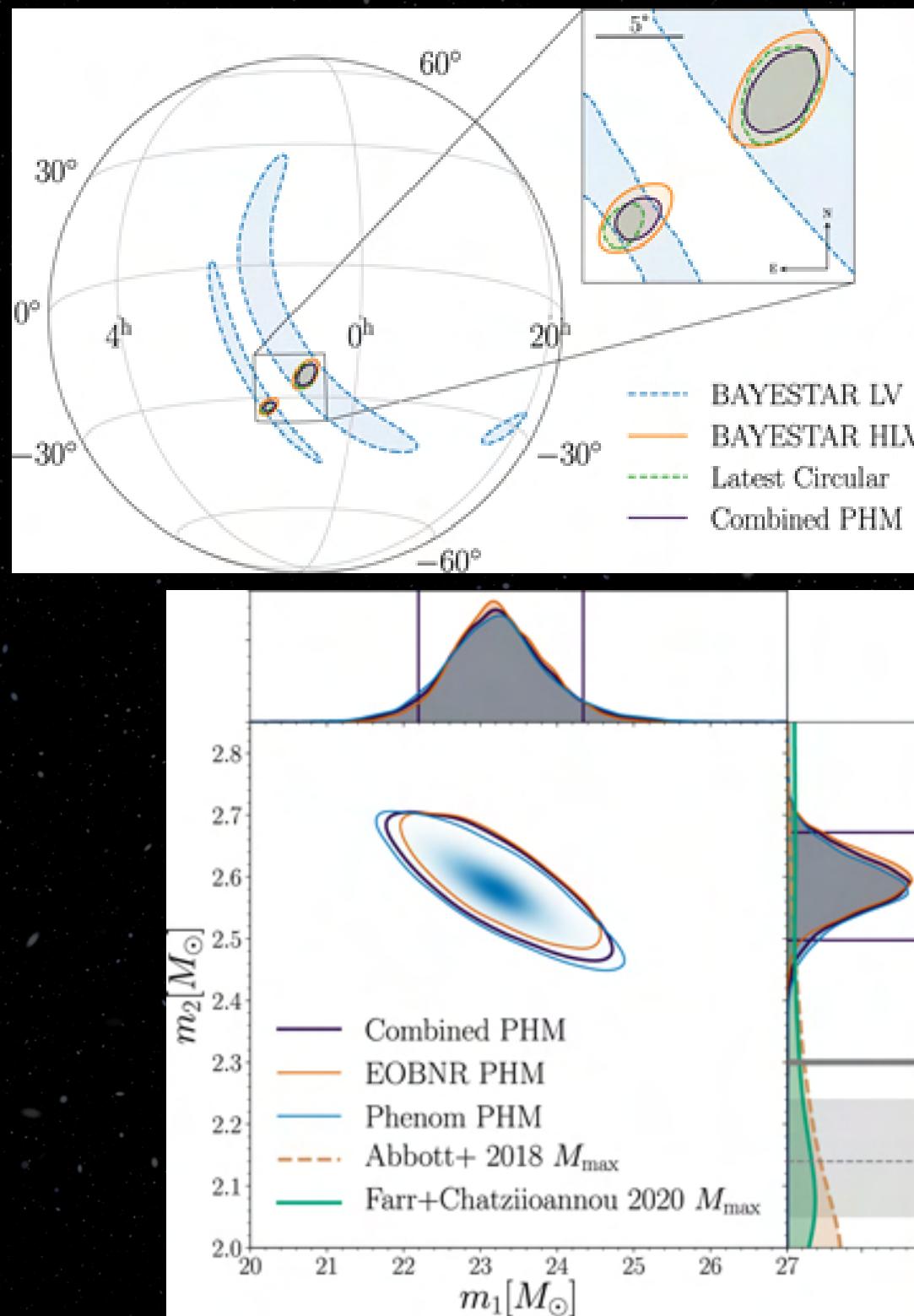
$> 5\sigma$  away from DNS sample



ROCHA ET AL. (IN PREP)

# A TENSION FROM GW DETECTIONS

GW190814



$$\left\{ \begin{array}{l} m_1 = 23.2^{+1.1}_{-1.0} M_{\odot} \\ m_2 = 2.59^{+0.08}_{-0.09} M_{\odot} \end{array} \right.$$

Constraints on  $M_{TOV}$ :

- GW170817:

$$M_{TOV} \leq 2.3 M_{\odot}$$

- GW190814 and GW200210:

$$M_{TOV} \geq 2.5 M_{\odot}$$

(IF companion is a NS!)

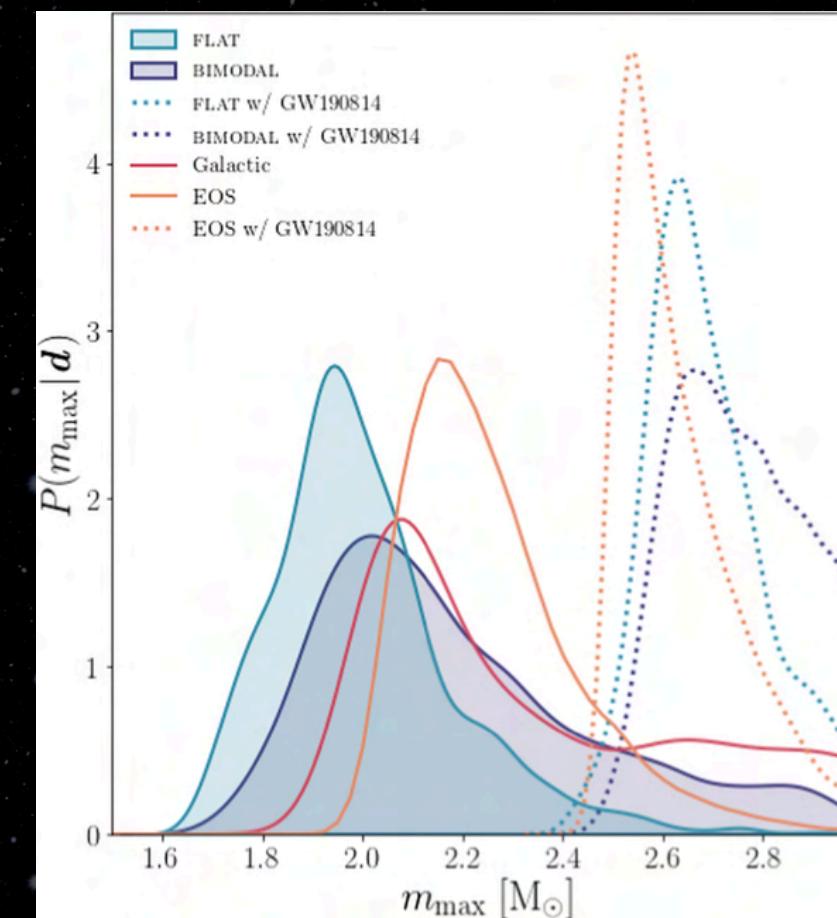
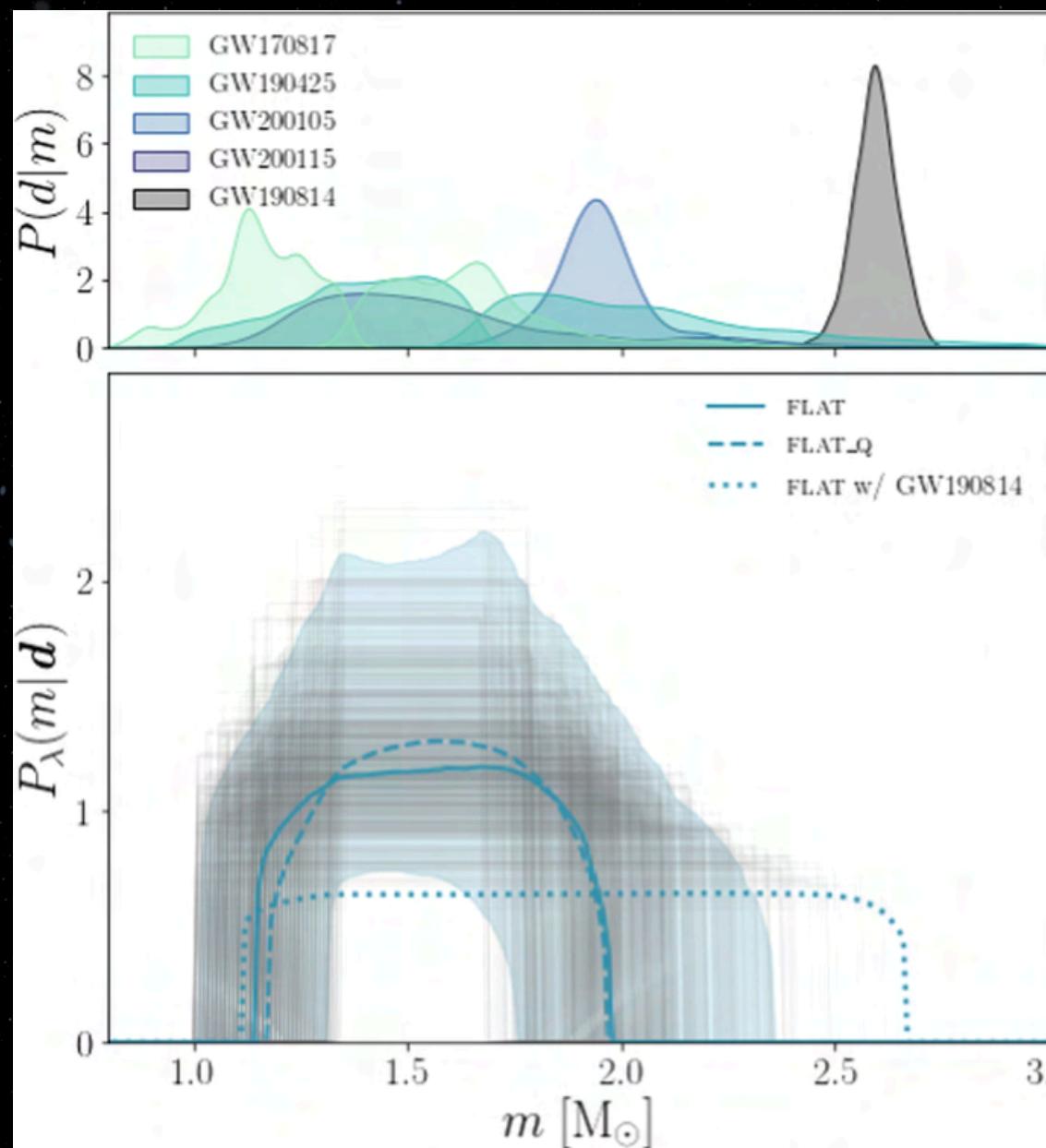


# The Mass Distribution of Neutron Stars in Gravitational-wave Binaries

Philippe Landry and Jocelyn S. Read

Nicholas & Lee Begovich Center for Gravitational-Wave Physics & Astronomy, California State University, Fullerton, 800 N State College Boulevard, Fullerton, CA 92831, USA

Received 2021 July 16; revised 2021 October 12; accepted 2021 October 13; published 2021 November 3



- Their conclusion:
  - Extragalactic sample of NSs should be different from the galactic one
- Maybe too early to take such conclusion.

# LATEST DISCOVERIES IN OUR GALAXY

PSR J1653-0158

Black widow pulsar

$$m_p = 2.15 \pm 0.16 M_\odot$$

PSR J0952-0607

Black widow pulsar

$$m_p = 2.35 \pm 0.17 M_\odot$$

$$M_{max} > 2.19 M_\odot$$

PSR J0514-4002E

Pulsar with a compact companion (BH or NS)

$$m_c = 2.35^{+0.20}_{-0.18} M_\odot$$

$$2.09 \leq m_c \leq 2.71 \text{ (95\% C.I.)}$$

$$M_{TOT} = 3.8870 \pm 0.0045 M_\odot$$

KANDEL AND ROMANI. (2022)

ROMANI ET AL. (2022)

ROMANI ET AL. (2022)

# THE GALACTIC SAMPLING

- Differentiate measurements based on measured post-Keplerian parameters

$$P(d|m_p) \propto \mathcal{N}(m, \sigma)$$

$$P(d|m_p) \propto \int \int P(\hat{m}_T, \hat{f}|m_p, m_T, i) P(m_T) P(i) dm_T \longrightarrow \int \exp\left(-\frac{(m_T - \mu_T)^2}{2\sigma_T^2}\right) \frac{m_T^{4/3}}{3(m_T - m_p)^2 f^{1/3} \sqrt{1 - \frac{f^{2/3} m_T^{4/3}}{(m_T - m_p)^2}}} dm_T$$

$$P(d|m_p) \propto \int \int P(\hat{q}, \hat{f}|m_p, q, i) d i d q \longrightarrow \int \exp\left(-\frac{(q - \mu_q)^2}{2\sigma_q^2}\right) \frac{(1+q)^{4/3}}{3f^{1/3}m_p^{2/3}q^2\sqrt{1-\left(\frac{f}{m_p}\right)^{2/3}\frac{(1+q)^{4/3}}{q^2}}} dq$$

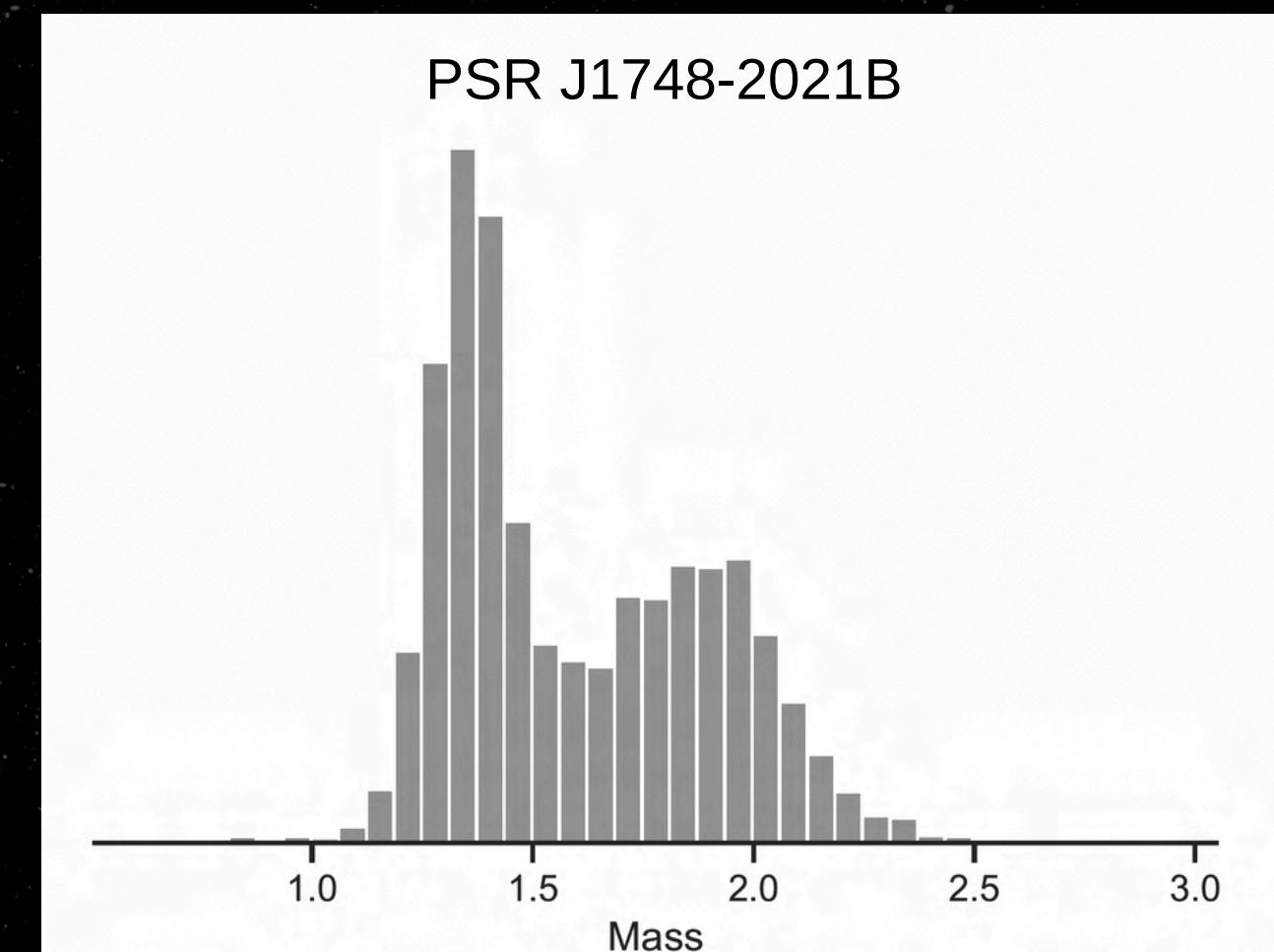
Assumes a uniform distribution over  $\cos i$ , which means that  $i$  can go from 0 to  $90^\circ$ .

Orbital inclination is the main source of uncertainty for mass measurements.

$$m_p \propto \frac{1}{\sin^3 i}$$

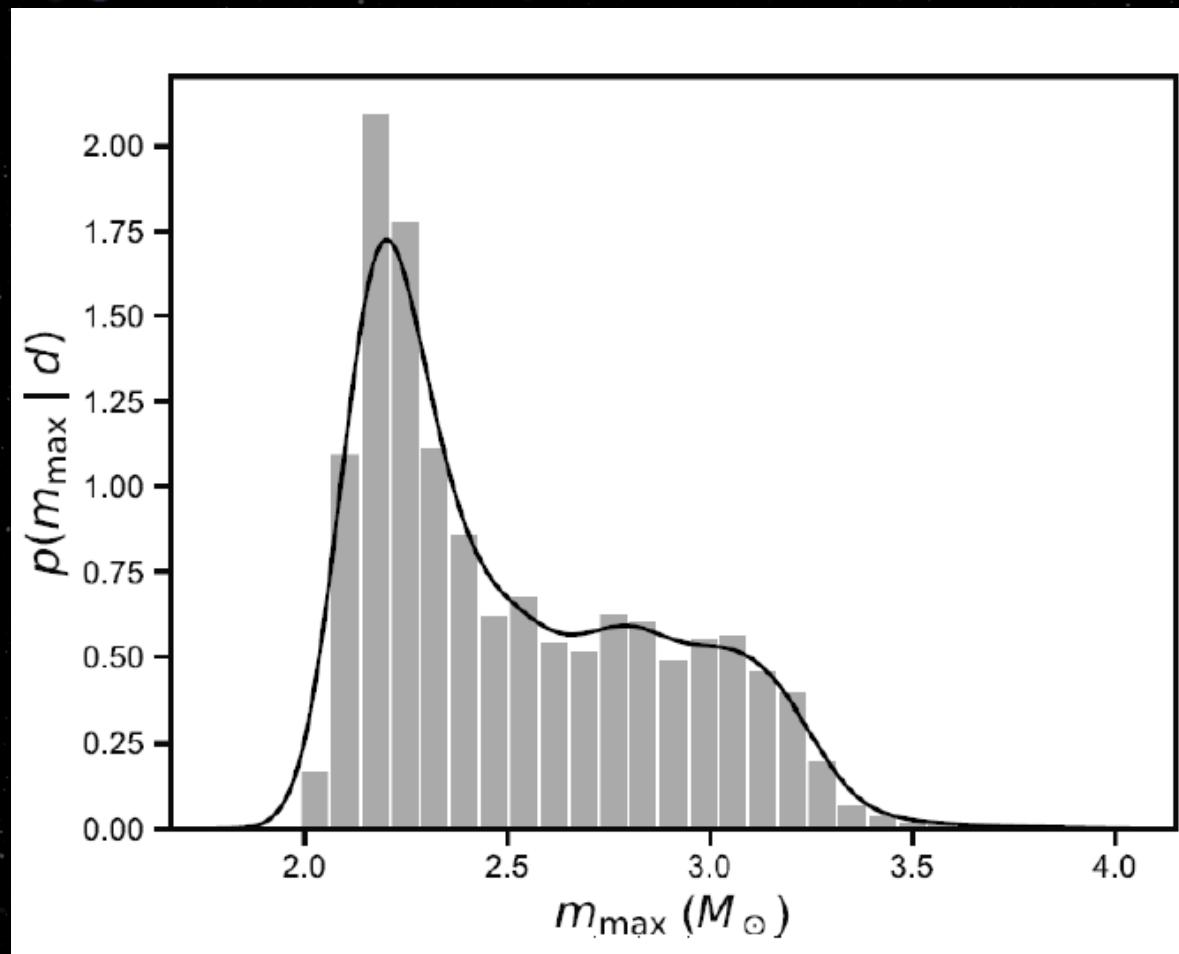
PSR J1748-2021B:

- Freire et al. (2008)
  - $m = 2.74 \pm 0.21 M_{\odot}$
  - Probability of  $m < 2M_{\odot}$  is 1%
  - Probability of being between  $1.2 < m(M_{\odot}) < 1.44$  is 0.10%

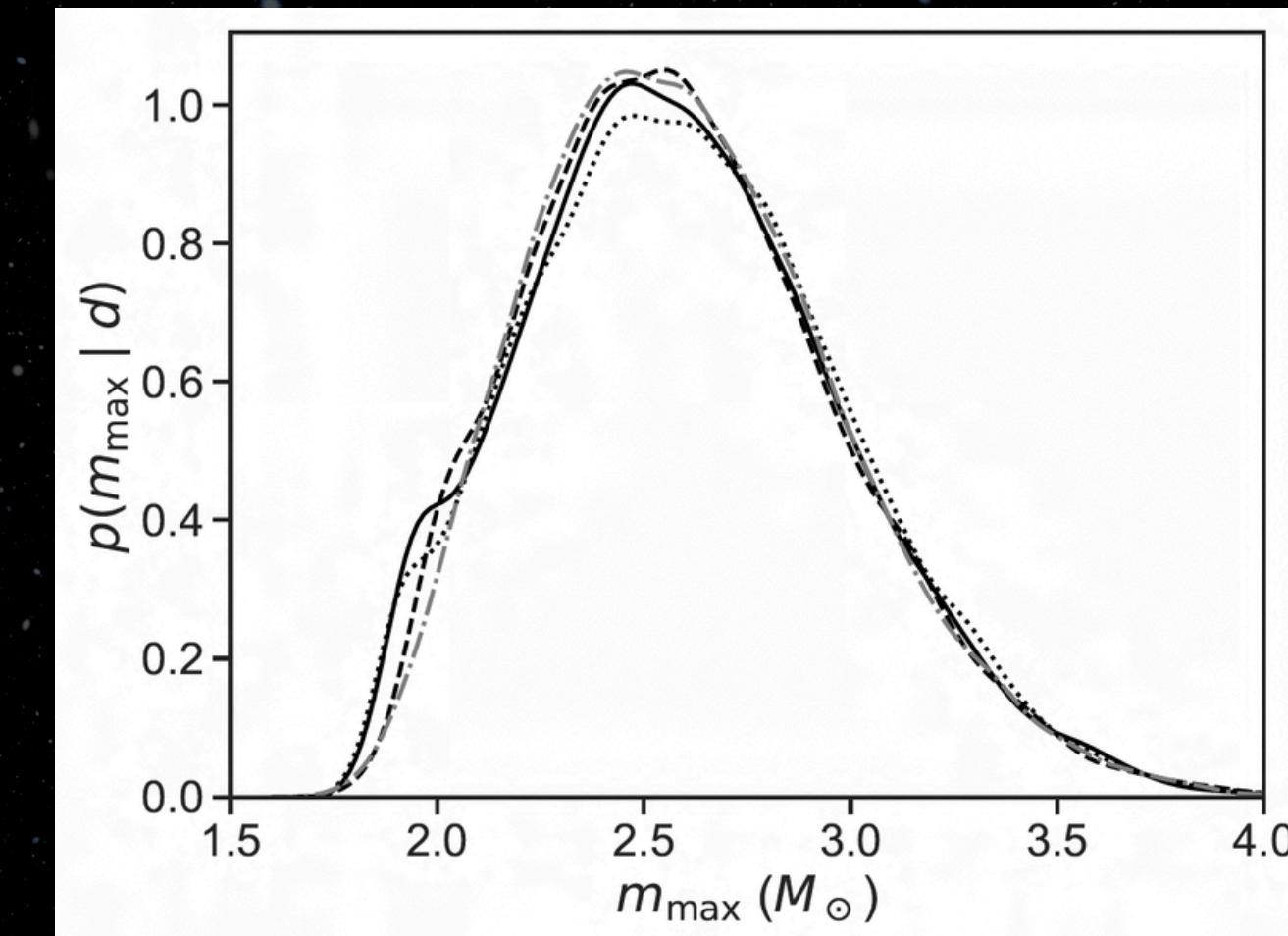


- What do we obtain treating all masses equally, compared with the standard treatment?

Sampling with uniform distribution over  $\cos i$

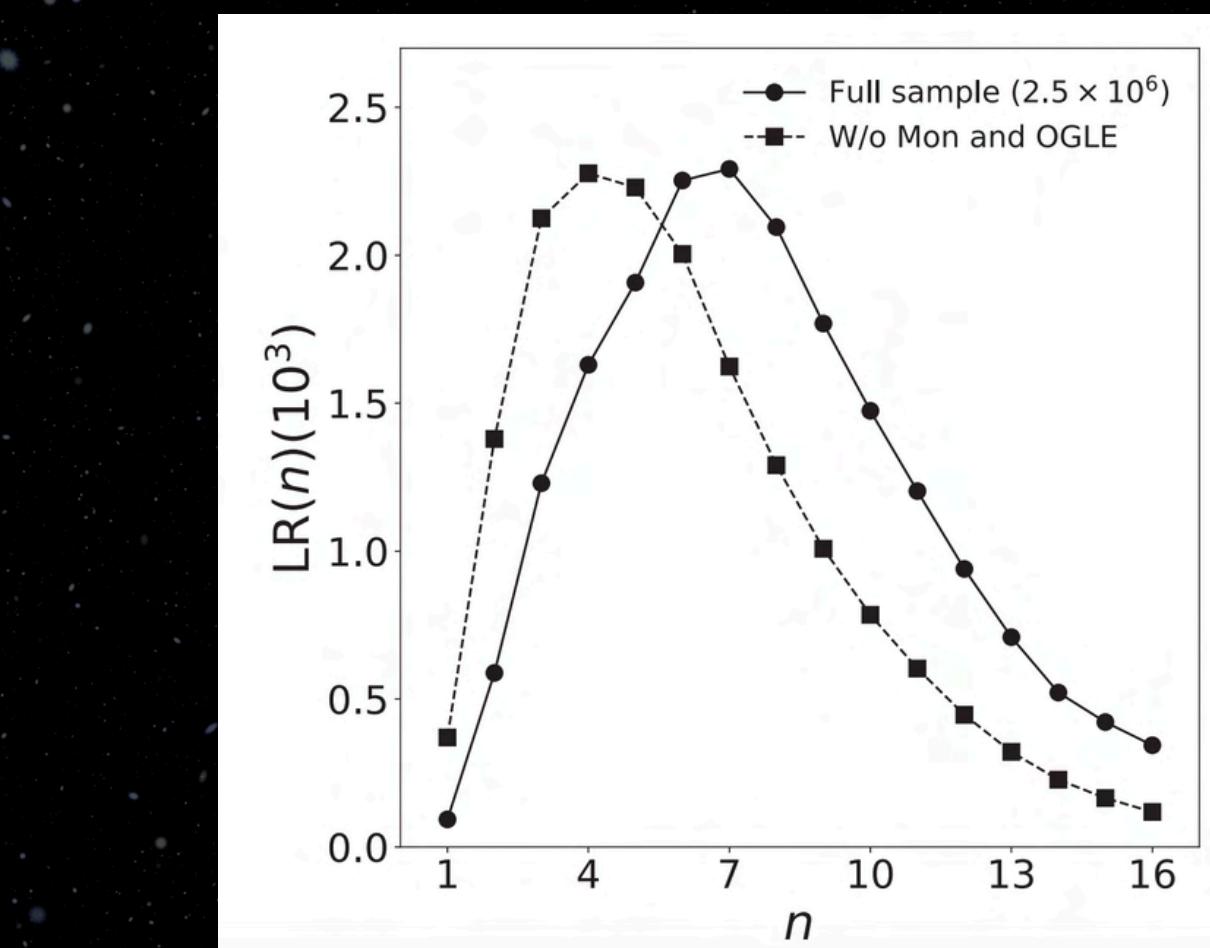
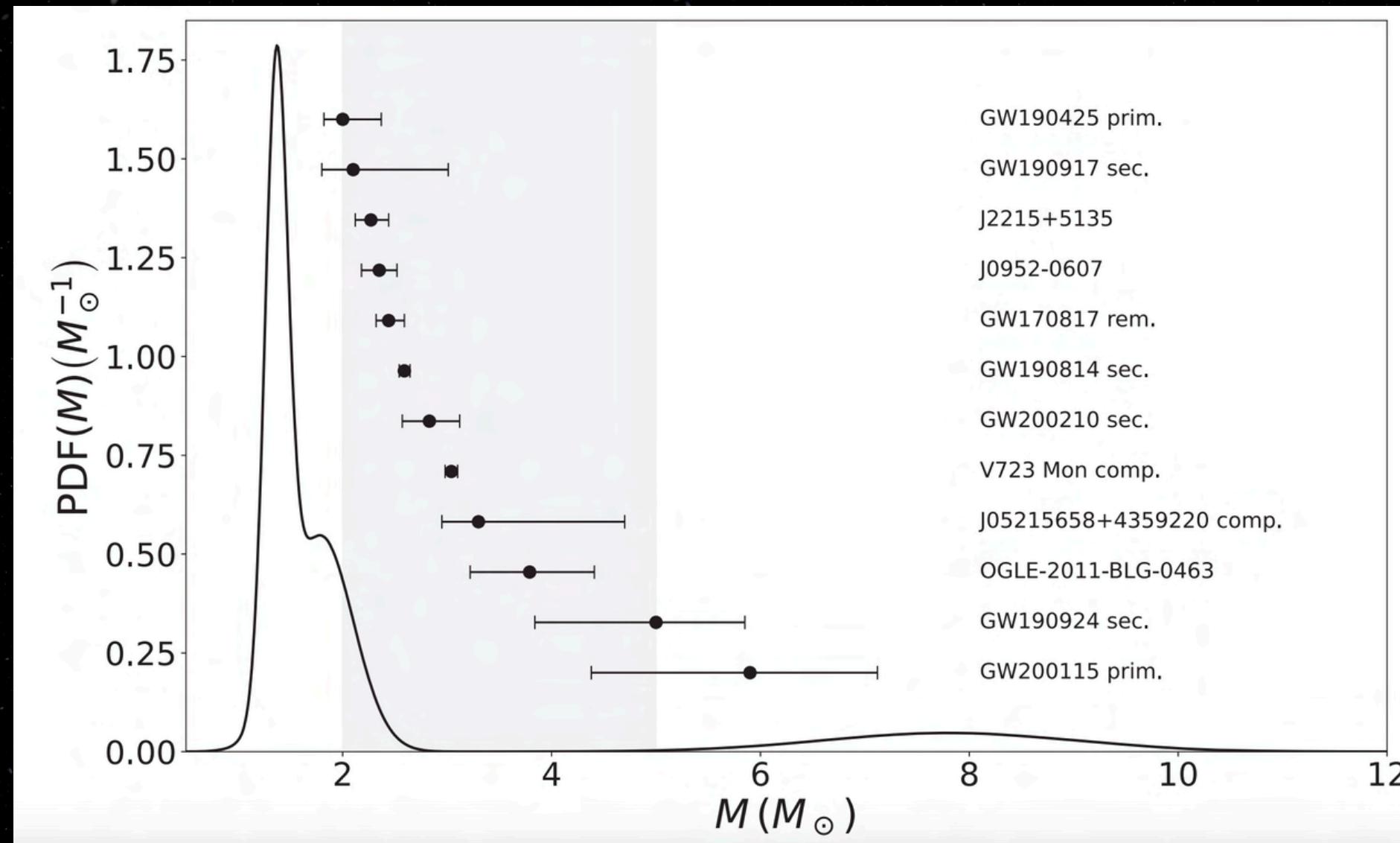


All systems with normal likelihoods



- We need to be more careful with this assumption.
- Ideal case: include constraints of orbital inclination in the analysis (to be done)

# EVIDENCE AGAINST A MASS GAP

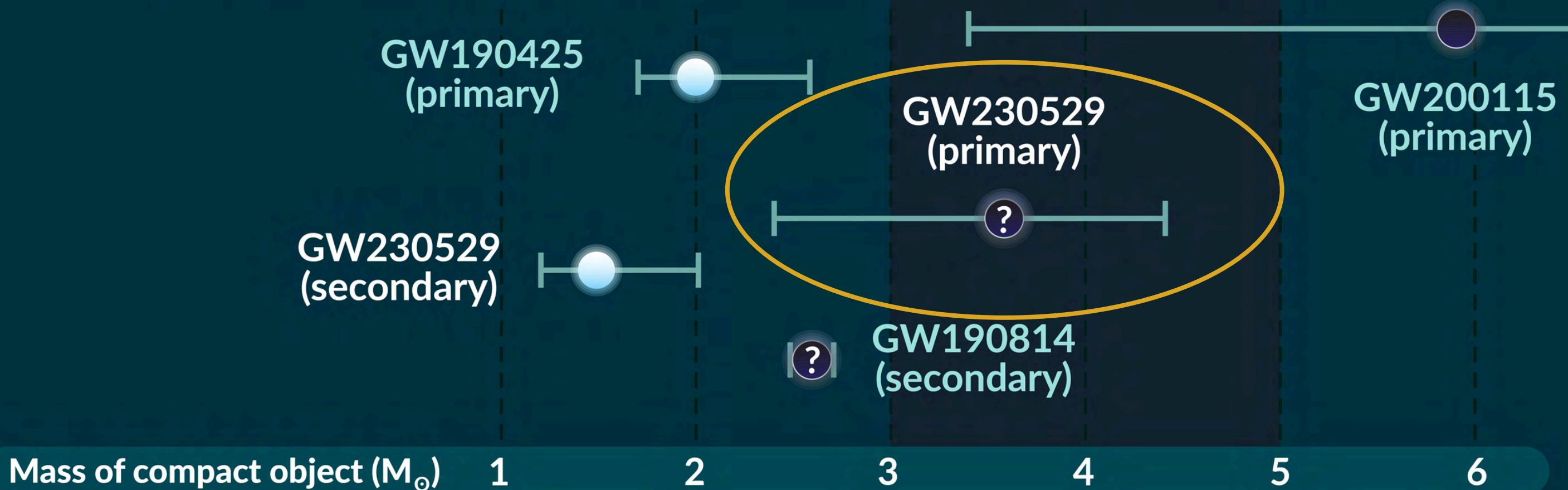


DE SÁ ET AL. (2022)

- There is no absolute gap!

# FILLING THE MASS GAP

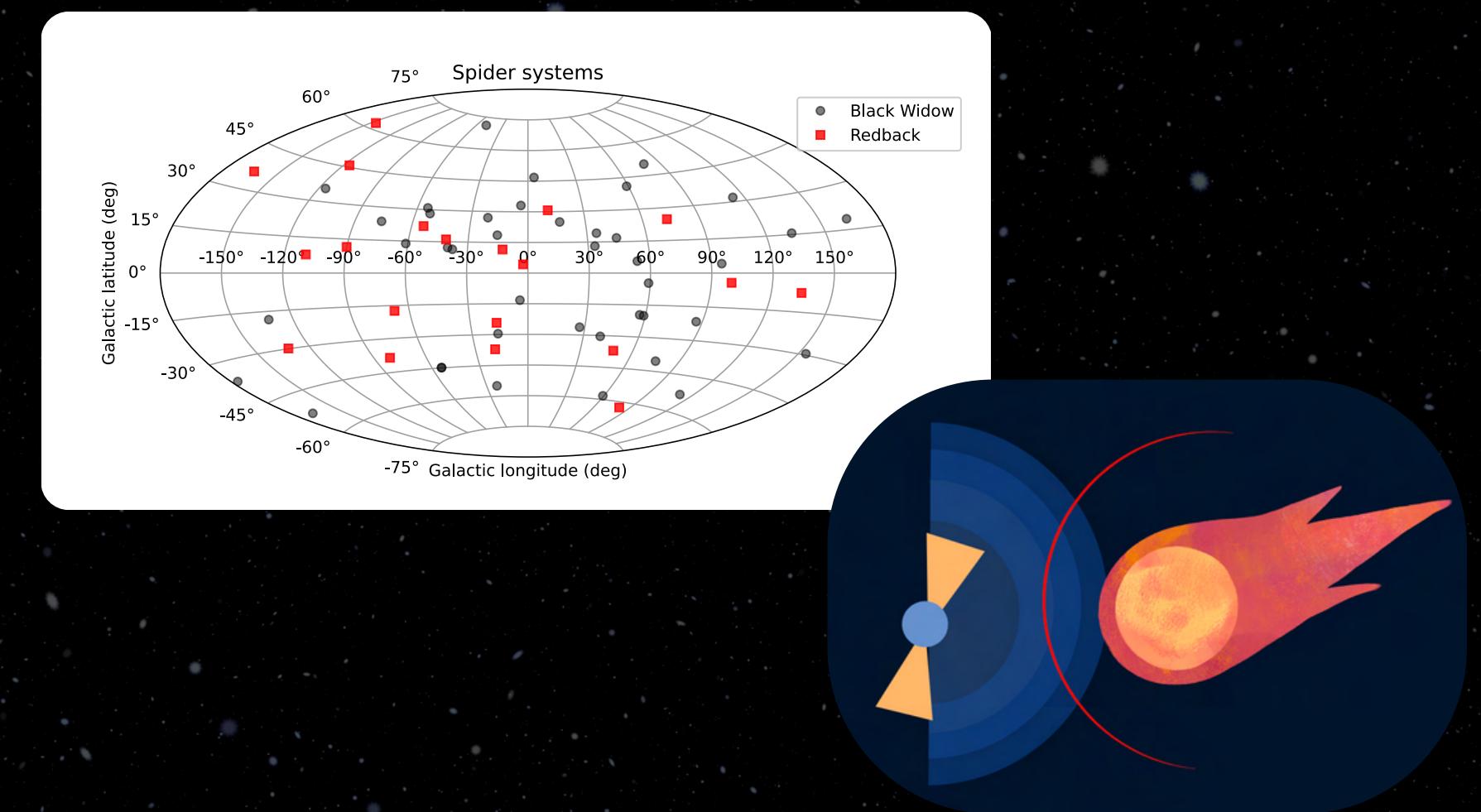
*with observations of compact binaries from gravitational waves*



Includes components of compact binary mergers detected with a False Alarm Rate (FAR) of less than 0.25 per year

# SPIDER PULSAR BINARIES

- Millisecond pulsars ( $< 15$  ms)
- Low-mass companion
  - Redbacks:  $0.1 - 0.5 M_{\odot}$
  - Black widows:  $\ll 0.1 M_{\odot}$
- Short-orbits ( $< 1$  day)
- Circular orbits (?)
- Radio (and gamma) eclipses
- Old systems
- Long accretion phase



- Clark et al. (2022): searched for gamma-ray eclipses in spider systems:
- Found in only 5
  - PSR B1957+20:

$$m_p = 2.4 \pm 0.1 M_{\odot} \longrightarrow m_p = 1.81 \pm 0.07 M_{\odot}$$

# STRANGE STARS

- CFL state (Lugones and Horvath, 2002)

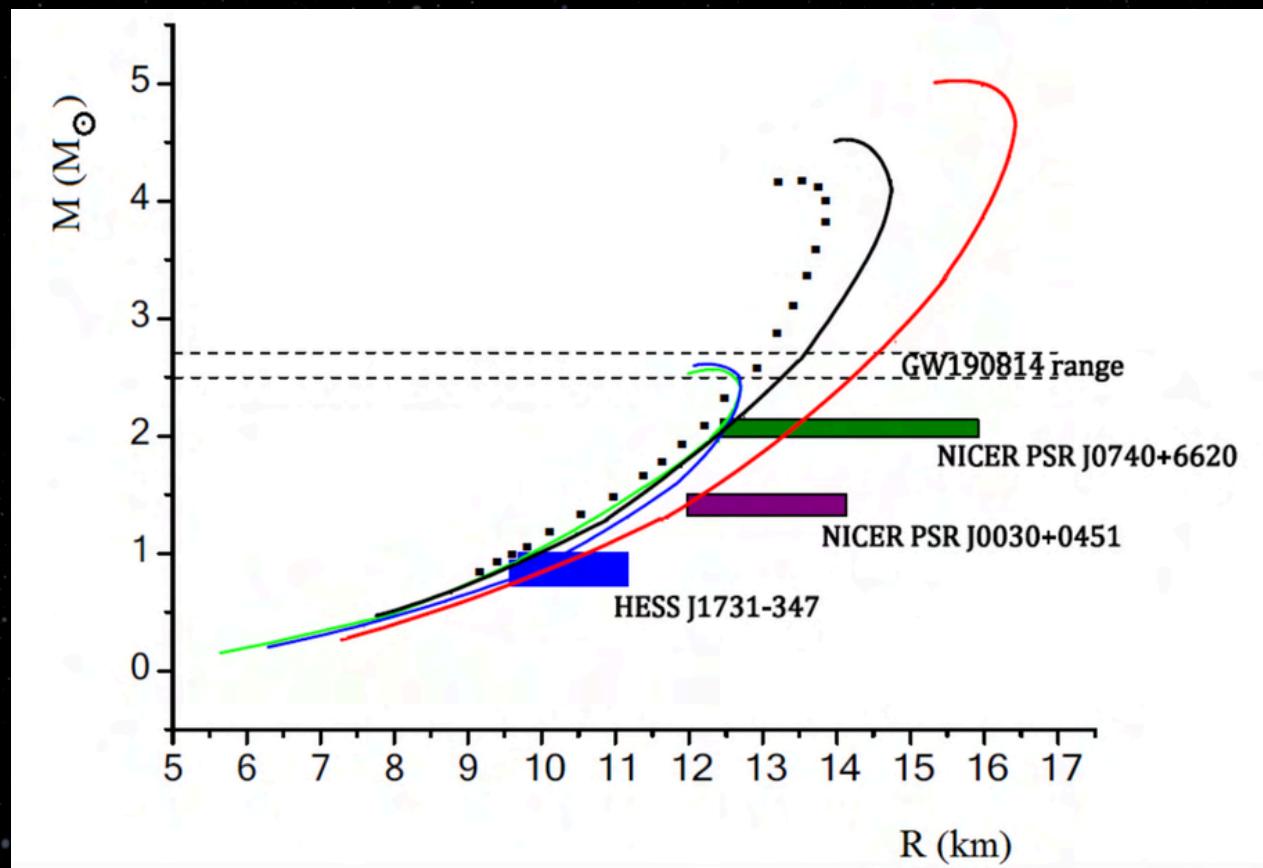
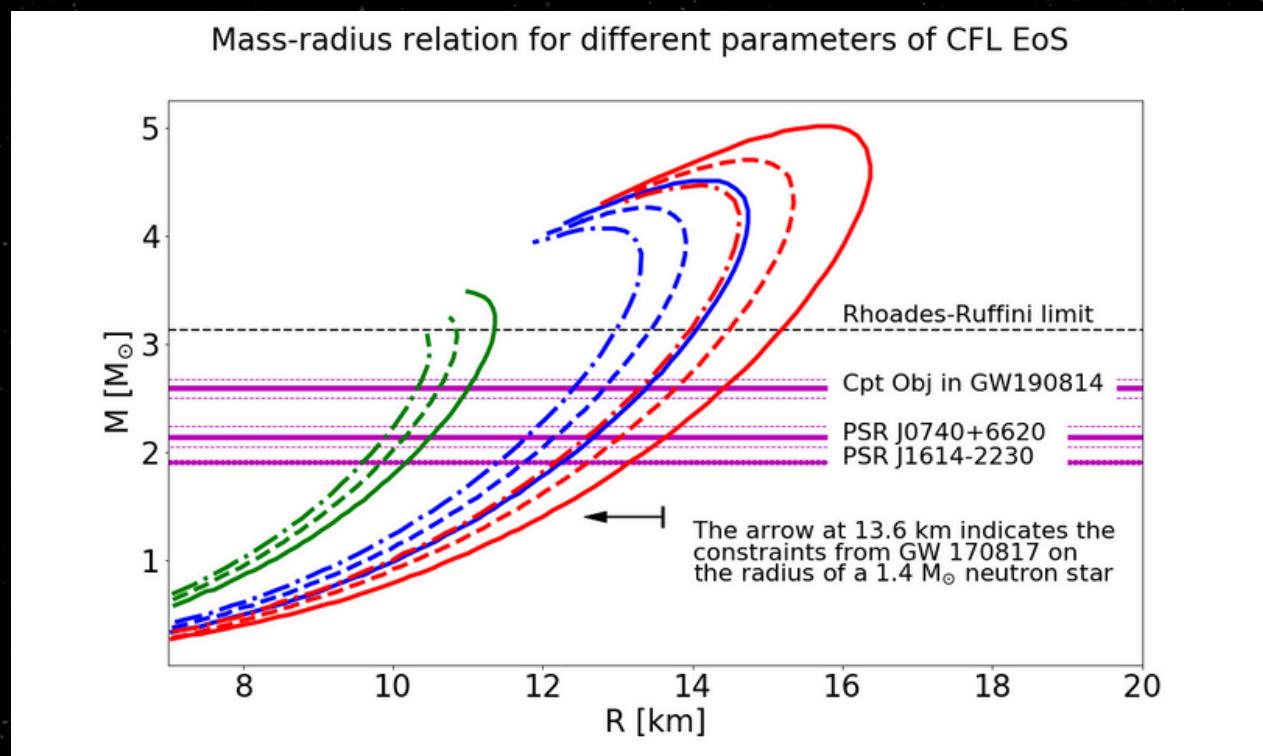
$$P(r) = \frac{1}{3}\rho + \frac{2\eta}{\pi}\rho^{1/2} - \left( \frac{2\eta^2}{\pi^2} + \frac{4B}{3} \right)$$

$$\eta = -\frac{m_s^2}{6} + \frac{2\Delta^2}{3}$$

- CENTRAL COMPACT OBJECT HESS J1731-347

$$m = 0.77_{-0.17}^{+0.20} M_\odot$$

$$R = 10.4_{-0.78}^{+0.86} \text{ km}$$



# SUMMARY

- Galactic DNS sample follows a bimodal gaussian.
- The analysis of galactic sample should include constraints on orbital inclination.
- An absolute mass gap is ruled out.
- We cannot ignore the possibility of at least some of the mass gap objects being NSs
  - Maximum mass of NSs  $> 2.5$
- Strange star models are doing a good job to explain the MGO

THANK YOU  
FOR YOUR ATTENTION!